

US MARKETS S&P 500 739 -0.07%

NASDAQ 706 -0.43%

Russell 276 -0.59%

VIX 18.04 +0.2

Risk Methodology

Stress testing framework used in PrimeRisk portfolio risk reports.

Equity Stress Scenarios

Three independent stress scenarios are computed for every equity (non-SPAC) position.

SCENARIO	NAME	FORMULA	DESCRIPTION
S1	200 DMA	$MV \times (MA_{200} - \text{Price}) / \text{Price}$	P&L if the stock price reverts to its 200-day moving average. Longs lose when trading above MA; shorts gain.
S2	Cap %	-	MV
S3	1Sd Vol	$MV \times (-\sqrt{(10/252)} \times IV)$	10-day 1-sigma vol shock. Uses implied volatility (IV) when available, otherwise beta × 18% market vol proxy.
3Sd	3Sd Vol	$3 \times S3$	Extreme tail stress — three standard deviations of the 10-day vol move.
Extreme	Worst-case	$\min(S1, S2, 3Sd)$	The single worst outcome across all equity scenarios for each position.

Directional SD Columns

For equity positions the report also shows signed SD moves (using signed MV):

- 3 SD / -2 SD / -1 SD: P&L if the underlying drops by N sigma (positive for shorts)
- +1 SD / +2 SD / +3 SD: P&L if the underlying rises by N sigma (negative for shorts)
- 25% / +25%: P&L for a flat 25% price move in each direction

Market-Cap Stress Grid

The Cap % scenario uses a tiered minimum return based on market capitalization. Smaller companies face more adverse stress returns.

 Suggestion

 AI SpacMan ^



The default grid is calibrated from the empirical CVaR 99.9% of 3-day returns, based on a study of 5.37 million observations across 2,509 US equities over 21 years. See the full [Cap Stress Paper](#) for methodology and robustness analysis.

BUCKET	MARKET CAP RANGE	LONG STRESS (CVAR 99.9%)
1	< \$280M	-50%
2	\$280M – \$630M	-44%
3	\$630M – \$1B	-40%
4	\$1B – \$2B	-37%
5	\$2B – \$4B	-34%
6	\$4B – \$8B	-32%
7	\$8B – \$23B	-30%
8	≥ \$23B	-27%

In the portfolio builder, the **Cap Stress Grid** panel provides:

- **Editable boundaries** — adjust the market cap breakpoints between buckets
- **Long Stress %** — the base stress applied to long positions (pre-filled from empirical CVaR 99.9%)
- **Custom %** — an override column; enter a multiplier at the top (e.g. 150) to scale the base stress, then adjust individual buckets
- **Short Stress %** — separate stress for short positions (blank by default; when filled, applies to short positions instead of Long %)

Industry Overrides

Certain industries (e.g. Biotechnology) may exhibit significantly different tail risk than the broad market. The **Industry Overrides** panel lets you define separate stress grids for specific industries. When a position's industry matches an override, the industry-specific grid is used instead of the default.

Each industry override includes:

- **Industry selector** — choose from common industries or type a custom name
- **Full stress grid** — independent cap boundaries, long %, custom %, and short % columns
- Multiple overrides can be active simultaneously for different industry groups

SPAC Stress Scenario (S4)

SPAC positions are stressed to **95% of the \$10 trust floor** (stress price = \$9.50).

The CIT (cash-in-trust) per share is resolved using a four-level hierarchy:

1. **External source** — user-supplied trust per share
2. **SEC filing** — parsed from 10-Q/10-K filings via EDGAR
3. **Accrued trust** — trust per share + accrued T-bill interest from issuance date
4. **Default** — \$10.00 par value

The stress P&L = $\text{Quantity} \times (\text{StressPrice} - \text{CurrentPrice})$.

Option Stress Scenarios

Options are repriced using the Black-Scholes model under three categories of stress.

S5 — Underlying Price Stress (Vol Flat)

The underlying price is shocked by N standard deviations while implied volatility remains unchanged.

SCENARIO	UNDERLYING MOVE	VOL CHANGE
-3 SD	$\text{Price} \times (1 - 3\sigma\sqrt{(10/252)})$	Flat
-2 SD	$\text{Price} \times (1 - 2\sigma\sqrt{(10/252)})$	Flat
-1 SD	$\text{Price} \times (1 - 1\sigma\sqrt{(10/252)})$	Flat
+1 SD	$\text{Price} \times (1 + 1\sigma\sqrt{(10/252)})$	Flat
+2 SD	$\text{Price} \times (1 + 2\sigma\sqrt{(10/252)})$	Flat
+3 SD	$\text{Price} \times (1 + 3\sigma\sqrt{(10/252)})$	Flat

S6 — Implied Volatility Shock (Price Flat)

The underlying price is held constant while implied volatility is shifted.

SCENARIO	PRICE CHANGE	VOL CHANGE
Vol -25%	Flat	$IV \times 0.75$
Vol +25%	Flat	$IV \times 1.25$
Vol +50%	Flat	$IV \times 1.50$

Term-Structure Adjustment

All vol shocks (S6 and the vol component of S7) are **term-adjusted** to reflect the fact that short-dated options are more sensitive to vol changes than longer-dated ones:

$$\text{effective shock} = \text{base shock} \times \sqrt{(30 / \max(\text{DTE}, 5))}$$

- **30-day options** are the anchor point — they receive the base shock unscaled ($\sqrt{(30/30)} = 1.0$).
- **Shorter-dated options** (e.g. 7 DTE) see an amplified shock ($\sqrt{(30/7)} \approx 2.07\times$).
- **Longer-dated options** (e.g. 90 DTE) see a dampened shock ($\sqrt{(30/90)} \approx 0.58\times$).
- A floor of 5 DTE prevents the multiplier from blowing up near expiration.

For example, a Vol +25% shock on a 10-day-to-expiration option produces an effective vol shift of $+25\% \times \sqrt{(30/10)} = +43.3\%$.

S7 — Combined Scenarios

Simultaneous price and volatility moves simulate realistic market regimes. The vol component of each scenario is term-adjusted as described above.

SCENARIO	UNDERLYING MOVE	VOL CHANGE (BASE)	MARKET REGIME
Crash	-2 SD	$\text{Vol} \times 1.25 (+25\%)$	Severe sell-off with volatility spike
Correction	-1 SD	$\text{Vol} \times 1.15 (+15\%)$	Moderate pullback with modest vol increase
Rally	+2 SD	$\text{Vol} \times 0.80 (-20\%)$	Strong rally with vol compression
Vol Spike	Flat	$\text{Vol} \times 1.50 (+50\%)$	No price move but extreme vol expansion

Black-Scholes Pricing Model

All option repricing uses the **Black-Scholes European option pricing model**.

For a call option:

$$C = S \cdot N(d_1) - K \cdot e^{(-rT)} \cdot N(d_2)$$

For a put option:

$$P = K \cdot e^{(-rT)} \cdot N(-d_2) - S \cdot N(-d_1)$$

Where:

- **S** = current underlying price
- **K** = strike price
- **T** = time to expiration in years (DTE / 365)
- **r** = risk-free rate (current T-bill rate)
- **σ** = implied volatility (annual, decimal)
- **N(·)** = standard normal CDF
- $d_1 = [\ln(S/K) + (r + \sigma^2/2)T] / (\sigma\sqrt{T})$
- $d_2 = d_1 - \sigma\sqrt{T}$

Greeks Definitions

GREEK	SYMBOL	DEFINITION	INTERPRETATION
Delta	Δ	$\partial C / \partial S$	Rate of change of option price per \$1 move in the underlying. Calls: 0 to +1; Puts: -1 to 0.
Gamma	Γ	$\partial^2 C / \partial S^2$	Rate of change of delta per \$1 move in the underlying. Higher near ATM and near expiry.
Theta	Θ	$\partial C / \partial t$	Daily time decay — how much the option loses per calendar day, all else equal. Always negative for long options.
Vega	v	$\partial C / \partial \sigma$	Option price change per 1 percentage point change in implied volatility. Always positive for long options.

Position-Level Greeks

In the **By Issuer** tab, Greeks are aggregated at the position level:

- **Net Delta** = $\Sigma (\text{delta} \times \text{quantity} \times 100)$ — expressed as equivalent shares
- **Net Gamma** = $\Sigma (\text{gamma} \times \text{quantity} \times 100)$
- **Net Vega** = $\Sigma (\text{vega} \times \text{quantity} \times 100)$

By Issuer Aggregation

The By Issuer view shows total risk per underlying, combining stock positions and all option positions on the same ticker.

- **Stock MV** — market value of the equity position
- **Opt MV** — total market value of all option positions on this underlying
- **Total MV** — Stock MV + Opt MV
- **Combined SD columns** — stock directional SD P&L + option S5 price-stress P&L at the matching SD level
- **Opt Crash / Corr / Rally / VolSpk** — sum of S7 combined-scenario P&L across all options

Portfolio Risk Metrics

METRIC	FORMULA	DESCRIPTION
Single Issuer Risk	$\min(\text{Extreme})$ across all positions	Worst single-name loss
5-Issuer Risk	$\Sigma(5 \text{ worst Extremes}) \times 0.70$	Concentrated risk with 30% diversification discount
Sector Risk	$2 \times (\text{worst sector 1Sd})$	2-sigma sector-level stress
3-Sector Stress	$\Sigma(3 \text{ worst sector 1Sd}) \times 2 \times 0.70$	Multi-sector stress with discount
5 SPAC Risk	$\Sigma(5 \text{ worst SPAC P\&Ls}) \times 0.70$	Concentrated SPAC stress

Other Prime Stress Methodologies

PrimeRisk's equity stress framework is modeled after the **A Prime Stress** proprietary 4-scenario approach. For comparison, here are the two most widely used retail/institutional prime broker margin methodologies:

Interactive Brokers (IBKR)

IBKR uses OCC TIMS as a base with proprietary house add-ons including global concentration charges, singleton margin, small-cap adjustments, per-contract minimums, and days-to-liquidate surcharges.

- [IBKR Portfolio Margin](#); overview of IBKR's risk-based margin system
- [IBKR Margin Requirements](#); published maintenance margin tables

Charles Schwab / TD Ameritrade

Schwab/TDA uses OCC TIMS as a base with a Risk-Based Concentration (RBC) model that adds margin when the volatility-implied price range exceeds the standard scan range, plus Point of No Return (PNR) monitoring and a 30% absolute minimum maintenance floor.

- [Schwab Portfolio Margin](#); eligibility and overview
- [Schwab Margin Requirements](#); published margin rates and maintenance requirements
- [thinkorswim Margin Handbook \(PDF\)](#); detailed margin methodology inherited from TD Ameritrade